

Directions: Use the Fundamental Counting Principle to answer each question.

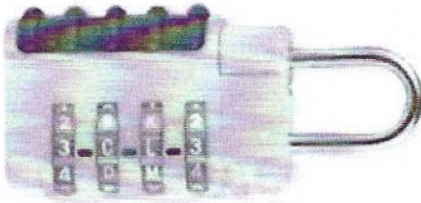
1. The combination lock shown has 4 wheels.

Wheel 1: 0-9

Wheel 2: A-J

Wheel 3: K-T

Wheel 4: 0-9



How many possible combinations are there?

$$\frac{10}{1st \#} \cdot \frac{10}{2nd \#} \cdot \frac{10}{3rd \#} \cdot \frac{10}{4th \#} =$$

$$10^4 = 10000 \text{ outcomes}$$

2. Each student at Hills Village Middle School is given a 5-digit identification number using the digits 1-9.

Part A How many different ID numbers are possible?

$$\frac{9}{1st \#} \cdot \frac{9}{2nd \#} \cdot \frac{9}{3rd \#} \cdot \frac{9}{4th \#} \cdot \frac{9}{5th \#}$$

$$= 9^5 = 59049 \text{ outcomes}$$

Part B If none of the 5-digits could repeat, how many ID numbers are possible.

$$\frac{9}{1st \#} \cdot \frac{8}{2nd \#} \cdot \frac{7}{3rd \#} \cdot \frac{6}{4th \#} \cdot \frac{5}{5th \#}$$

$$= 15,120 \text{ outcomes}$$

3. At Grant's Ice Cream shop you can choose between vanilla, chocolate, and strawberry ice cream. The different toppings are caramel, sprinkles, and chocolate syrup, and you can also choose between a waffle cone and sugar cone. How many different combinations of one ice cream, one topping, and one cone can be created?

$$\frac{3}{ice \ cream} \cdot \frac{3}{topping} \cdot \frac{2}{cone} = 18 \text{ outcomes}$$

4. From a group of 5 candidates, a committee of 3 people is selected. How many different ways can the committee be selected?

$$\frac{5}{1st \ pick} \cdot \frac{4}{2nd \ pick} \cdot \frac{3}{3rd \ pick}$$

$$= 60 \text{ outcomes}$$

5. A New York State license plate uses a 7-character code. The first three characters are letters of the alphabet, but do not include I, O, or Q. The next 4 characters use the digits 0-9. Determine the total number of possible combinations for a license plate if the characters are allowed to repeat.

26 letters minus 3



$$\frac{23}{letters \ except \ I, O, Q} \cdot \frac{23}{letters} \cdot \frac{23}{letters} \cdot \frac{10}{digit} \cdot \frac{10}{digit} \cdot \frac{10}{digit} \cdot \frac{10}{digit}$$

$$23^3 \cdot 10^4$$

$$12167 \cdot 10000 = 12,167,000 \text{ outcomes}$$